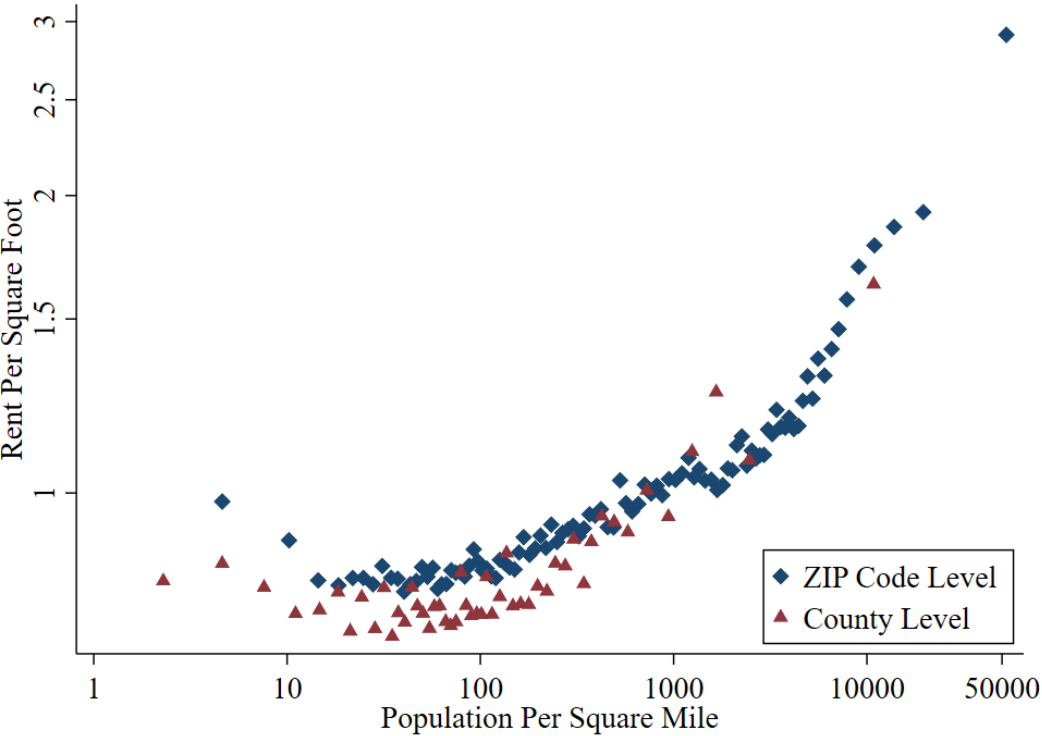


than just the average rent in a location as the former controls for differences in housing size across locations, while the latter does not. [Figure B.1](#) shows how the rent per square foot of a location, measured at either zip code or county levels, increases with the location population density.

Figure B.1: Rents across space



Notes: The figure presents the binned rent per square foot of a location (zipcode or county) in 2018 as a function of the location population density. Rent data comes from Zillow, while we use the 2012-2016 population estimate in the American Community Survey (ACS) from [Manson et al. \(2021\)](#) to construct the population density measure.

C Sorting

In this section we perform several robustness checks to our sorting results.

[Table V](#) presents the results of regressing the average of the log of the average employment density of each location, weighted by the number of establishments of a particular firm operating in a particular industry in the location, on the log of the national size of the firm and industry fixed effects. The first panel is the analogous to [Figure 8](#) and presents the results as we vary M . Panels 2 to 7 use $M = 12$. The second panel restricts the analysis to firms with at least X plants. The third panel adds to the second panel a headquarters' location fixed effect for each firm. The fourth panel restricts the analysis to industries where there is a firm with at least X plants, and the fifth panel adds the fixed effect for the headquarters' location.

The sixth panel repeats the analysis by major industry. The last panel shows the robustness of the baseline results to excluding the own firm contribution to employment density, alternative weighting schemes, and to using only non-imputed data.

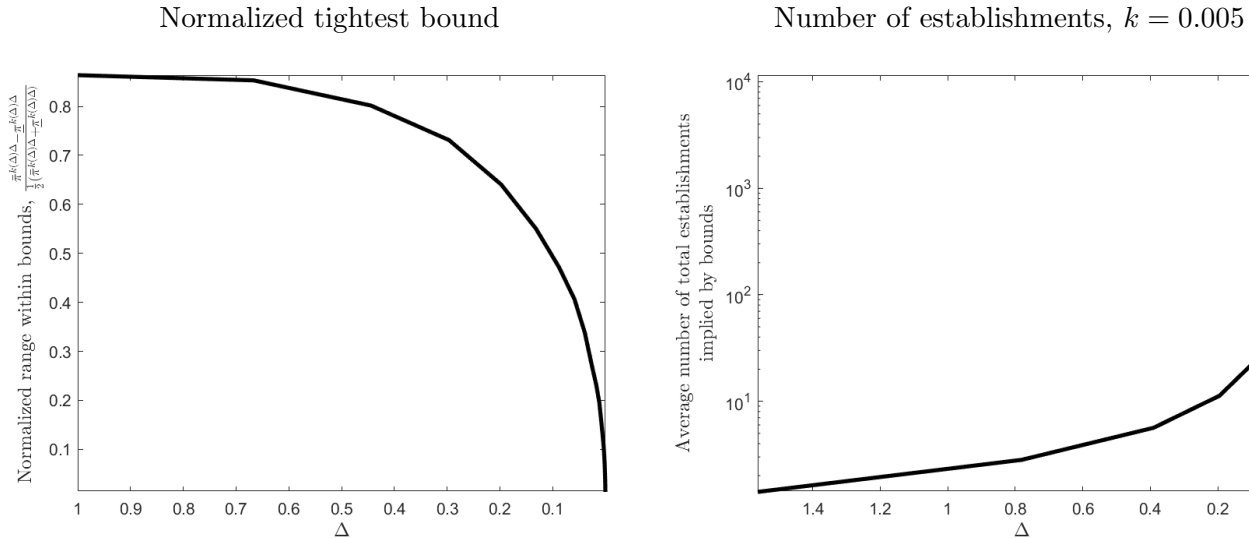
D The Largest Firm in Town

Table VI presents the results of regressing the log of the national size of the firm with most plants in a location, $L_{j^*(s)}$, on the log of the employment density of the location, \mathcal{L}_s , and industry fixed effects. If there is a tie in the identity of the firm with most plants in a location, we take the average of the log national employment of the firms. The first panel presents our baseline results for different spatial resolutions M . The second panel repeats the analysis but restricting to firms with at least X plants, and the third panel restricts the analysis to industries where the largest firm has at least X plants. The fourth panel presents the results by major industry. The fifth panel presents the results when excluding the firm's own contribution to a location employment, when using alternative ways to resolving ties (in terms of which firm has the highest amount of plants in a location), and when using only non-imputed data.

E Span of Control

In this section we present several robustness checks to our span-of-control results. [Table VII](#) presents the results of regressing the log of the average plant employment of a firm within a location on the firm's log national employment, and controlling for the firm's log number of plants in the location and square of the log number of plants in the location. In all cases, we subtract the own firm contribution of employment in a location from that firm's total employment. The first panel presents the results for different values of M . The second panel restricts the analysis to firms with at least X plants, while the third panel restricts the analysis to industries where there is one firm with at least X plants. The fourth panel presents the results by major industry. [Table VIII](#) presents some additional robustness results. The first panel presents the regression results without subtracting the own firm contribution of employment in a location from that firm's total employment. Panels 2 and 3 subtract the own firm contribution of employment in a location from that firm's total employment. Panel 2 adds higher order terms of the log of the number of establishments of a firm in a location as controls, while Panel 3 restricts attention to non-imputed data.

Figure G.1: Bounds



H A discrete example with firms with few plants

Our approach to the problem of choosing plant locations was to focus on the limiting economy as Δ approaches zero. In this limit, the problem admits an analytical solution that we use to derive theoretical predictions that we then corroborate empirically. While our theoretical results regarding uniform convergence of the policy function are reassuring of the relevance of these predictions for industries for which the limit is a good approximation, they may be less relevant for industries in which plants tend to have large catchment areas.

In this section, we use two numerical examples to explore firm choices outside of the limit, i.e. large Δ . In both examples, firms choose to have a small number of plants. In the first example, Δ is very large and firms choose to have either one or two plants, as transport costs are low. In this example, we run the same regressions as in the main text of the paper and fail to detect sorting. In the second example, we lower Δ and solve for the resulting plant configuration. Now firms place more plants across locations. In this example, we detect sorting that is consistent with the theoretical predictions of the limiting economy.

To make the numerical exercise feasible and operational we make a set of modifications to our model: (i) we follow Tintelnot (2016) and assume that a firm produces a continuum of goods, where each location that may be used to produce the good has a different idiosyncratic cost of producing a particular good, and (ii) we assume that there is only a discrete, and small, set of feasible locations. Modification (ii) allows us to use the toolkit in Arkolakis et al. (2017) to solve the plant location problem for each firm. Modification (i) increases the number of configurations that can be ruled out before resorting to evaluating all remaining combinations (the brute force approach).

